

Assignment 3

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1 Outputs

1.1 $(x,y)=(1,0)$ and $idir=+1$

```
henry.mauricio.ortiz@fme-desktop:~/Desktop$ ./main_os_sec2
Initial condition x(1),...,x(n)
1.,0.
idir?
1
n_crossing
2
tfinal point time    3.1415926535898913
-1.0000000000000000    9.8059608393333275E-014
tfinal point time    6.2831853071796848
1.0000000000000002    -9.8226141847027049E-014
```

1.2 $(x,y)=(1,0)$ and $idir=-1$

```
henry.mauricio.ortiz@fme-desktop:~/Desktop$ ./main_os_sec2
Initial condition x(1),...,x(n)
1.,0.
idir?
-1
n_crossing
2
tfinal point time    -3.1415926535898913
-1.0000000000000000    -9.8059608393333275E-014
tfinal point time    -6.2831853071796848
1.0000000000000002    9.8226141847027049E-014
```

1.3 $(x,y)=(0,1)$ and $idir=+1$

```
henry.mauricio.ortiz@fme-desktop:~/Desktop$ ./main_os_sec2
```

```

Initial condition x(1),...,x(n)
0.,1.
idir?
1
n_crossing
2
tfinal point time    1.5707963267948968
  1.0000000000000000    -2.6188395256619007E-016
tfinal point time    4.7123889803847874
-0.99999999999999978    9.7962450326151418E-014

```

1.4 $(x,y)=(0,1)$ and $idir=-1$

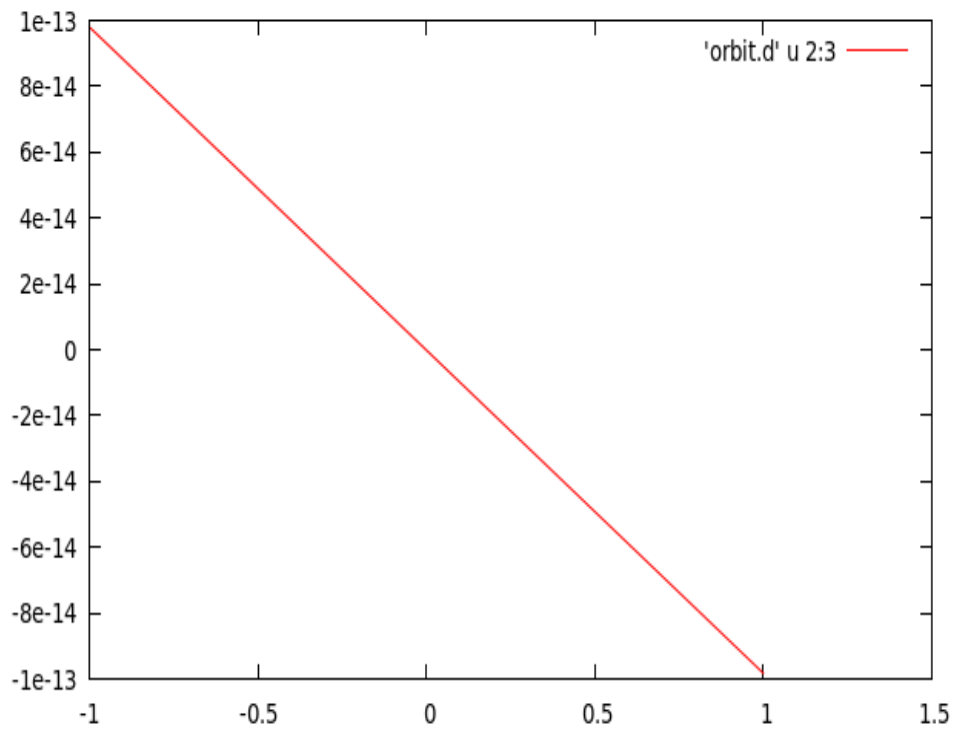
```

henry.mauricio.ortiz@fme-desktop:~/Desktop$ ./main_os_sec2
Initial condition x(1),...,x(n)
0.,1.
idir?
-1
n_crossing
2
tfinal point time    -1.5707963267948968
 -1.0000000000000000    -2.6188395256619007E-016
tfinal point time    -4.7123889803847874
 0.99999999999999978    9.7962450326151418E-014

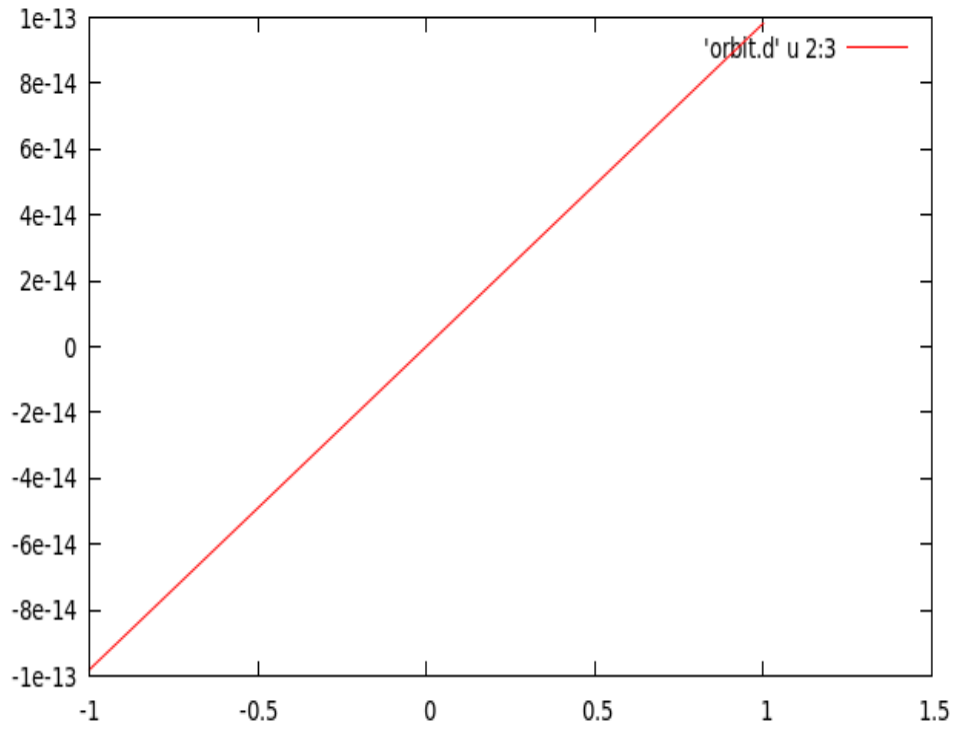
```

2 Plots

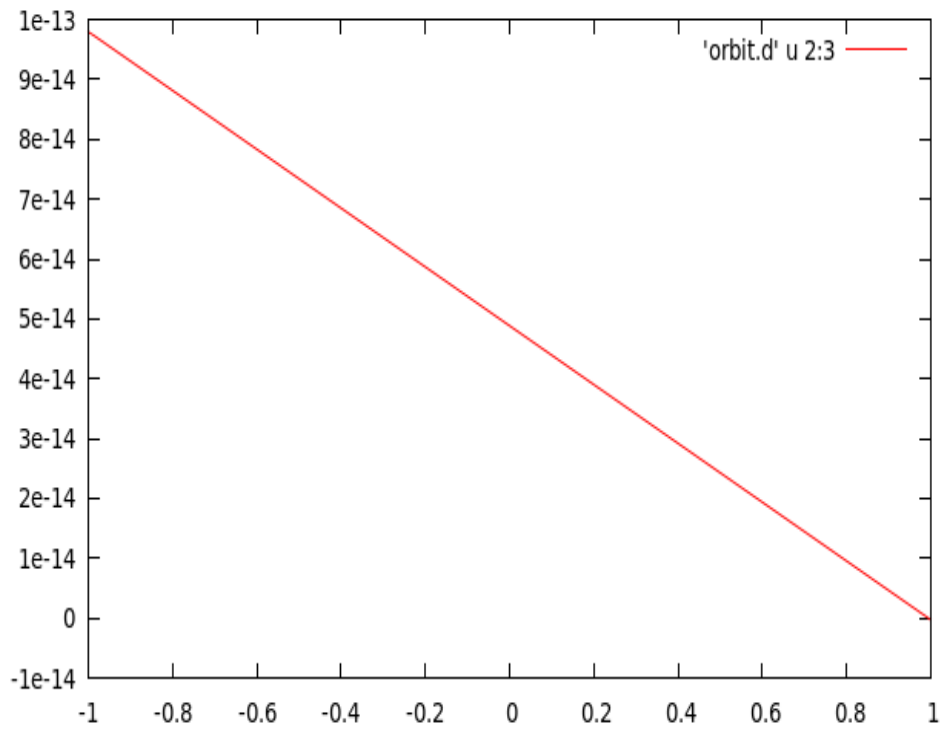
2.1 $(x,y)=(1,0)$ and $\text{idir}=+1$



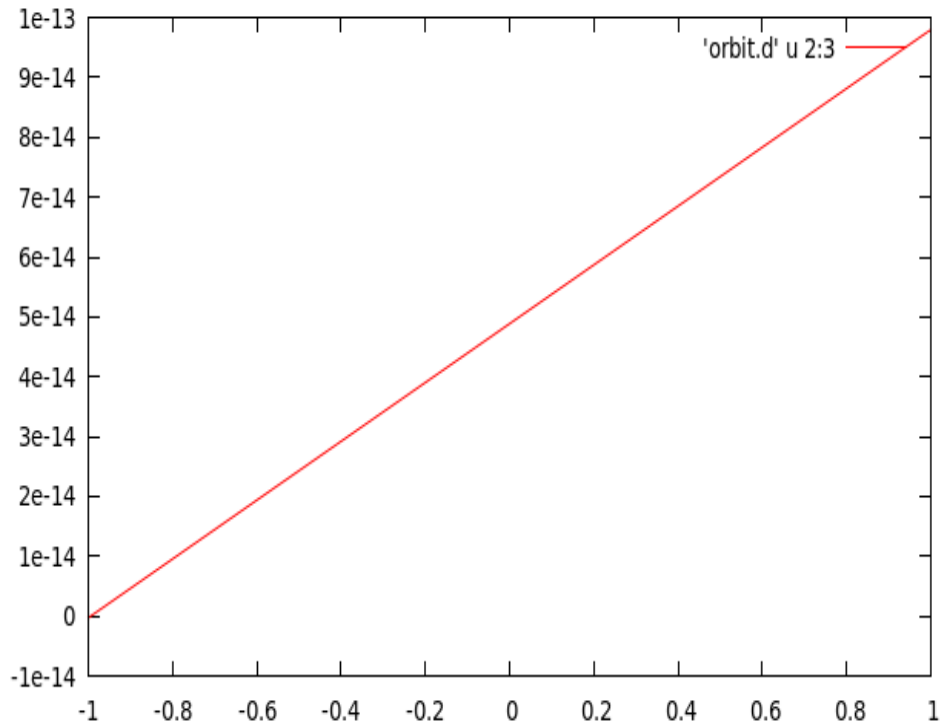
2.2 $(x,y)=(1,0)$ and $idir=-1$



2.3 $(x,y)=(0,1)$ and $idir=+1$



2.4 $(x,y)=(0,1)$ and $\text{idir}=-1$



3 MAIN-OS-SEC1 CODE

```
c
c  MAIN_OS_SEC1.f
c
c*****
c      We integrate the harmonic oscillator field with Taylor
c      up to the  FIRST  crossing with the Poincare section: y=0
c              -----
c
c !!!!  You should enter the code to integrate up to a given
c  'n_crossing' crossing with the Poincare section: y=0  !!!!
c
c*****
```

```

        implicit real*8 (a-h,o-z)
        parameter (n=2)
        dimension yf(n),x(n)
        open(10,file='orbit.d',status='unknown')
        !open(2,file = 'sec.d', status='unknown')
        write(*,*) 'Initial condition x(1),x(n)'
        read(*,*) (x(i),i=1,n)
        write(*,*) 'insert idir'
        read(*,*) idir
        write(*,*) 'insert n_crossing'
        read(*,*) n_crossing
c
c we assume initial time t=0.d0
c
        t=0.d0

        do i=1,n_crossing
        call poinc1(n,x,yf,tfinal,idir)
        x=yf
end do
end

C*****
c Input:
c n dimension of the vectors yi and yf
c yi initial point
c idirorig: +1 integration forwards in time; -1 backwards
c yf final point
c tfinal final time
c
C*****
        SUBROUTINE POINC1(n,YI,YF,tfinal,idirorig)
        IMPLICIT REAL*8 (A-H,O-Z)
        DIMENSION YI(n),YF(n),DGG(n),F(n)
                icont=0
        idir=idirorig

```



```

c
c we assume initial time t=0.
c
      if (n_crossing.eq.1)ti=0.D0
      if (n_crossing.gt.1)ti=tfinal
C  DETERMINATION OF THE FIRST PASSAGE OF THE ORBIT THROUGH y=0
C
      CALL SECCIO(YI,GG,DGG)
      IF(DABS(GG).LT.1.D-9)GG=0.d0
      GA=GG
      hab=.1e-16
      hre=.1e-16
      pabs=dlog10(hab)
      prel=dlog10(hre)
      istep=1
c reasonable step:
      pas=0.4d0
      ht=0.d0
      t=ti
c |tmax| must be big enough
1      tmax=t+idir*pas
      CALL taylor_f77_eq_os_(t,yi,idir,istep,pabs,prel,
& tmax,ht,iordre,ifl)
c computation of first integral to be done
C
      CALL SECCIO(YI,GG,DGG)
      IF(GG*GA.LT.0.D0)go to 22
      ! write(10,*)t,(yi(ii),ii=1,2)
      GA=GG
      GO TO 1

C
C  REFINEMENT OF THE INTERSECTION POINT YF(*) USING NEWTON'S METHOD
C  TO GET A ZERO OF THE FUNCTION GG (SEE SUBROUTINE SECCIO)
C
22  continue
      icont=icont+1
      if (icont.gt.20)then
          write(*,*)'problems finding the section'

```

```

        stop
    endif
    CALL FIELD(T,YI,N,F)
    P=0.D0
    DO 3 I=1,N
3      P=P+F(I)*DGG(I)
        H=-GG/P
c check p is not (or very close to) 0:  to be done
        if (h.ge.0.d0)idir=1
        if (h.lt.0.d0)idir=-1
        tmax=t+h
c          write(*,*)icont,' refining: h and time ',h,tmax
c          write(*,*)'refining t point ',t,yi(1),yi(2)
        CALL taylor_f77_eq_os_(t,yi,idir,istep,pabs,prel,
& tmax,ht,iordre,ifl)
        CALL SECCIO(YI,GG,DGG)
        IF(DABS(GG).GT.1.D-13)GO TO 22
        DO 4 I=1,N
4      YF(I)=YI(I)
        tfinal=t+tfinal
c check first integral: to be done
        write(*,*)'tfinal point time ',tfinal
        write(*,*)(yf(ii),ii=1,n)
        write(10,*)tfinal,(yf(ii),ii=1,2)
        return
    end

C*****
C
C   THE SURFACE g OF SECTION,IN THIS CASE
C       INPUT PARAMETERS:
C   Y(*)       POINT
C       OUTPUT PARAMETERS:
C   GG         FUNCTION THAT EQUATED TO 0 GIVES THE SURFACE OF
C               SECTION
C   DGG(*)     GRADIENT OF FUNCTION GG
C

```

```

C*****
      SUBROUTINE SECCIO(Y,GG,DGG)
      IMPLICIT REAL*8(A-H,O-Z)
      DIMENSION Y(2),DGG(2)
      GG=Y(2)
      DO 1 I=1,2
1      DGG(I)=0.D0
      DGG(2)=1.d0
      RETURN
      END

C
C FIELD.F
C
C*****
C
C   EQS OF MOTION IN synodical VARIABLES
C   X           TIME
C   Y(*)        POINT (Y(1),Y(2),...Y(n))
C   NEQ         NUMBER OF EQUATIONS
C           OUTPUT PARAMETERS:
C   F(*)        VECTOR FIELD
C
C*****
      subroutine field(t,x,neq,f)
      implicit real*8 (a-h,o-z)
      dimension x(neq),f(neq)
c
      f(1) =x(2)
      f(2)= -x(1)
      return
      end

```